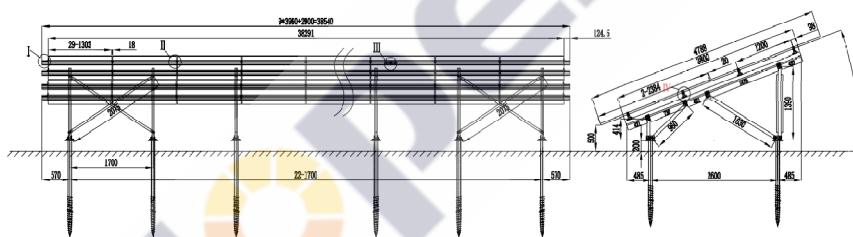




Design code: BS EN 1990&1991
Design guide on structures for Photovoltaic array



Project name: HP2301092

Designer: HOPERGY

Date 2023.11.7

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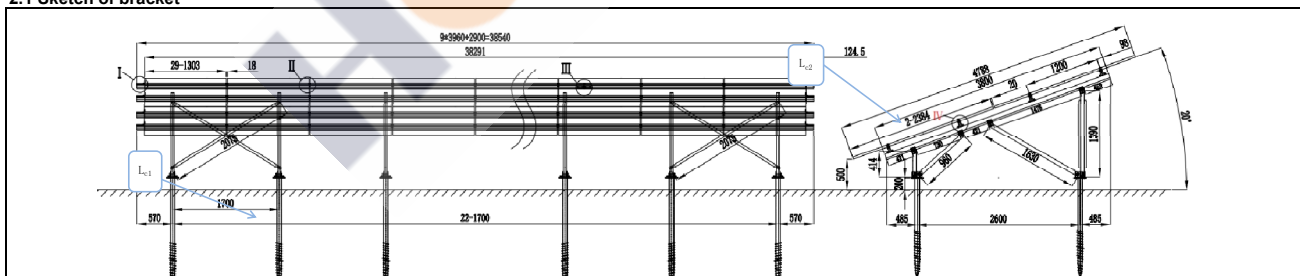
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1.1 Standards

- ## 1.2 Design condition and technical parameters

2. Load calculation

2.1 Sketch of bracket



BOM LIST:

[illegible]

2.2 Dead load

Dead-weight of Module G22.74KN

Dead-weight of Rail G 1.73KN

$$L_{c2} = 2384\text{mm} \quad \approx 2.384\text{m}$$

$$N_b = 4$$

$$L_{c1} = 1700\text{mm} \quad \approx 1.700\text{m}$$

$$\text{Fixed load of Rail } W_i = 24950.38\text{N}$$

$$\text{Mounting load } G^* = 27970.72\text{N}$$

2.3 Snow load

(1) Calculate the snow area: Figure 1-1

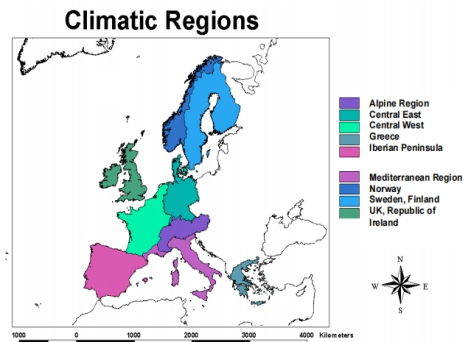


Figure 1-1 snow load area

The standard value S_k of the ground snow load in different areas is calculated according to the following formula:

Climatic Region	Expression
Alpine Region	$s_k = (0.642Z + 0.009) \left[1 + \left(\frac{A}{728} \right)^2 \right]$
Central East	$s_k = (0.264Z - 0.002) \left[1 + \left(\frac{A}{256} \right)^2 \right]$
Greece	$s_k = (0.420Z - 0.030) \left[1 + \left(\frac{A}{917} \right)^2 \right]$
Iberian Peninsula	$s_k = (0.190Z - 0.095) \left[1 + \left(\frac{A}{524} \right)^2 \right]$
Mediterranean Region	$s_k = (0.498Z - 0.209) \left[1 + \left(\frac{A}{452} \right)^2 \right]$
Central West	$s_k = 0.164Z - 0.082 + \frac{A}{966}$
Sweden, Finland	$s_k = 0.790Z + 0.375 + \frac{A}{336}$
UK, Republic of Ireland	$s_k = 0.140Z - 0.1 + \frac{A}{501}$

where: S_k is the characteristic snow load on the ground, kN/m²

A is the site altitude above Sea Level [m]

Z is the zone number given on the map.

(2) The exposure coefficient C_e should be used for determining the snow load on the roof. The choice for C_e should consider the future development around the site. C_e should be taken as 1,0 unless otherwise specified for different topographies.

Recommended values of C_e for different topographies

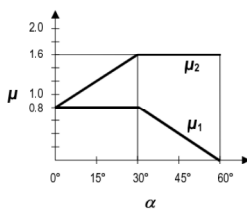
Topography	C_e
Windswept a	0.8
Normal b	1
Sheltered c	1.2

a. *Windswept topography: flat unobstructed areas exposed on all sides without, or little shelter afforded by terrain, higher construction works or trees.*

b. *Normal topography: areas where there is no significant removal of snow by wind on construction work, because of terrain, other construction works or trees.*

c. *Sheltered topography: areas in which the construction work being considered is considerably lower than the surrounding terrain or surrounded by high trees and/or surrounded by higher construction works.*

(3) The snow load shape coefficient μ_i that should be used for monopitch roofs is given in Table and shown in Figure .



Angle of pitch of roof α	$0^\circ \leq \alpha \leq 30^\circ$	$30^\circ < \alpha < 60^\circ$	$\alpha \geq 60^\circ$
μ_1	0,8	$0,8(60 - \alpha)/30$	0,0
μ_2	$0,8 + 0,8 \alpha/30$	1,6	--

(4) Snow load calculation

Tilt angle of support	$\alpha(^{\circ})$	20.0°	
Snow load shape coefficient	No obstacles μ_1	0.80	Table 5.2, Figure 5.1 EN 1991-1-3:2003(E)
Snow load on the ground	$S_k(\text{KN/m}^2)$	4	EN 1991-1-3:2003 (E) Table C.1
Exposure coefficient	$C_e(\text{Windswept a})$	0.8	Table 5.1 EN 1991-1-3:2003(E)
Thermal coefficient	C_t	1	Expression 5.2-(8) EN 1991-1-3:2005
Snow load on roof (N/m ²)	$S' = \mu_i * C_e * C_t * S_k$	2560	Expression 5.1 EN 1991-1-3:2005

Snow load on roof $S = S' * A_e$

$$= 398742.26 \text{ N}$$

2.4 Wind load

Calculate peak velocity pressure qp (z)

$$(z) = [1 + 7 * lv(z)] * \frac{1}{2} * \rho * v_m^2(z)$$
 Based on formula (4.8) EN 1991-1-4:2005

In formula:

①.lv(z): Turbulence intensity at height z

When $Z_{min} \leq Z \leq Z_{max}$ $lv(z) = \frac{k_1}{\rho(z) * \ln(\frac{z}{z_0})}$
Based on formula(4.7) EN 1991-1-4:2005

When $Z \leq Z_{min}$ $lv(z) = lv(z_{min})$

- z_0 Rough length
- k_1 Turbulence coefficient
- c_0 Mountain coefficient

②.p:Air density

③.Vm(z):Average wind speed at height z above ground

$v_m(z) = c_r(z) * c_e(z) * v_b$ Based on 4.3, EN 1991-1-4:2005

- $c_r(z)$ Roughness factor
- c_0 Mountain coefficient

When $Z_{min} \leq Z \leq Z_{max}$ $c_r(z) = k_r * \ln(\frac{z}{z_0})$
根据EN 1991-1-4:2005公式 (4.4)

When $Z \leq Z_{min}$ $c_r(z) = c_r(z_{min})$

- z_0 Rough length
- k_r Terrain coefficient

$k_r = 0.19 * (\frac{z_0}{z_{0,II}})^{0.07}$ Based on formula 4.5 in EN 1991-1-4:2005

EN 1991-1-4:2005 Table 4.1 Terrain categories and terrain parameters

Terrain level	z_0 (m)	z_{min} (m)	Terrain category
0	0.003	1.00	Sea areas or coastal areas close to the open sea
I	0.01	1.00	Lakes with very small vegetation and no obstacles Or flat area
II	0.05	2.00	Areas with low vegetation (such as grass) and separate obstacles separated by at least 20 obstacle heights
III	0.3	5.00	Areas where vegetation or buildings are evenly covered, or there are separate obstacles separated by up to 20 obstacle heights (such as villages, suburban terrain, and permanent forests)
IV	1.00	10	At least 15% of the surface is covered with buildings and the average height of the buildings exceeds 15m

Determine the value of each parameter:

z_0 (m)	0.05
Turbulence coefficient k_t	1
Mountain coefficient $c_0(z)$	1
z_0, II (m)	0.05
z_{min} (m)	2
z_{max} (m)	200
z (m)	0.5
Air density (kg/m ³)	1.25
Basic wind speed v_b (m/s)	22

In summary:

$$L_v(z) = 0.271$$

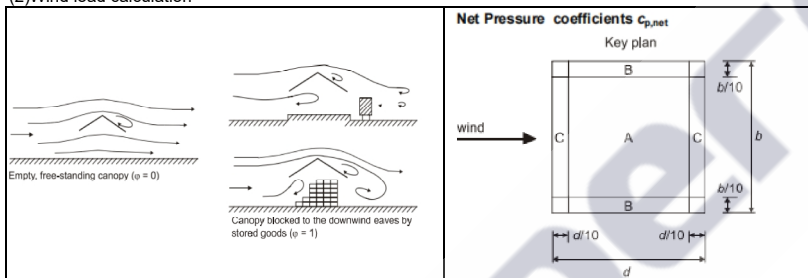
$$K_r = 0.190$$

$$C_f(z) = 0.701$$

$$V_m(z) = 15.420 \text{ m/s}$$

$$q_p(z) = 430.585 \text{ N/m}^2$$

(2) Wind load calculation



Zones for mono-pitch roof (Figure 7.7, EN 1991-1-4:2005)

Tilt angle	$\alpha(^{\circ})$	20.0	Note
Building height	z (m)	0.0	
Wind area of the module	A (m ²)	3.1	
Peak velocity pressure at height z	$q_p(z)$ (N/m ²)	430.6	
Wind direction	$\theta(^{\circ})$	W+ ($\theta=0^{\circ}$)	W- ($\theta=180^{\circ}$)
External pressure coefficient that a building part with a bearing area of	C_f	0.80	-1.30
Unit wind pressure load (N/m ²)	$= q_p(z) \times C_f$	344.47	559.76
			Zone A, Table 7.3a/7.2 EN 1991-1-4:2005
			Expression 5.1 EN 1991-1-4:2005

Unit wind pressure load $W_{+} = W_e \cdot A_s$

$$= 62062.30 \text{ N}$$

Unit wind pressure load $W_{-} = W_e \cdot A_s$

$$= 100851.24 \text{ N}$$

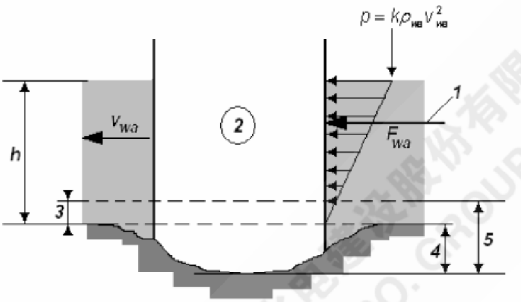
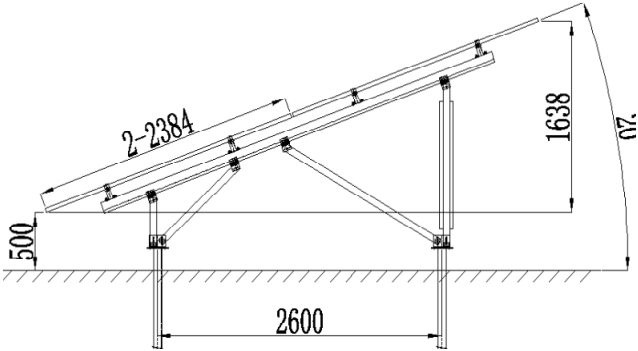
2.5. Hydraulic effect

The total horizontal force of water flow on a vertical surface Fwa(N):

$$F_{wa} = \frac{1}{2} k \rho_{wa} h b v_{wa}^2 \quad (\text{BS EN 1991-1-7: 2006-4.1})$$

In the formula:

- ρ_{wa} : 1.1t/m³
- $h1$: 1638mm
- $b1$: 38540mm
- v_{wa} : 2m/s
- k : Rectangular section, k=1.44; Circular object, k=0.7.



$$F_{wa} = 199991.15\text{N}$$

$$Q_{wa} = 2173.82\text{N}$$

2.6 Load combination

Ultimate limit states	COMB1	G	ableA1.1 Table A1.2 (B) Table A1.4 EN 1990-2002
	COMB2	1.35G	
	COMB3	1.35G+1.5S	
	COMB4	1.35G+1.5W+1.5*0.7S	
	COMB5	1.35G+1.5S+1.5*0.6W	
	COMBa	1.35G+1.5Qwa+1.5*0.6W	
	COMB6	G+1.5W	
Serviceability limit states	COMB7	G+W+0.7S	

3. Strength Calculation

3.1 Material properties and allowable stress

- Elasticity modulus E= 70000N/mm²
- Tensile strength f= 245N/m²
- Yield Strength= 205N/m²
- Shearing strength fv= 118.36N/m²

3.2 Rail

Sectional parameter table of Rail: GDR

	Sectional area	A=424mm ²	
	thickness	t=1.2mm	
	Moment of area	Sz=6705mm ³	Sy=3746mm ³
	Moment of inertia of section	Iz=504171mm ⁴	Iy=150439mm ⁴
	Section factor	Wz=10189mm ³	Wy=5013mm ³

3.3 Rail strength check

Table.1--1

Load combination	Unit	Ultimate limit states	Ultimate limit states	Load combination in Serviceability limit states($\theta=0^\circ$)	Load combination in Serviceability limit states($\theta=180^\circ$)
		Gravity G	1.35G+1.5S	G+W+0.7S	G-W+0.7S
Axial force	N	0	0	0	0
Major axis uniform load a		$W_d \cdot \cos\beta$	$1.35W_d \cdot \cos\beta + 1.5S \cdot \cos\beta$	$W_d \cdot \cos\beta + W + 0.7S \cdot \cos\beta$	$W_d \cdot \cos\beta - W + 0.7S \cdot \cos\beta$
	N	23445.69	593694.43	347794.61	184881.07
Major axis load $Q_z = a/N/L_{c2}$	N/mm	0.15	3.85	2.26	1.20
Major axis bending moment $M_z = Q_z \cdot L_{a1}^2 / 10$	N*mm	43953.07	1112984.49	652002.08	346592.04
Minor axis uniform load a		$W_d \cdot \sin\beta$	$1.35W_d \cdot \sin\beta + 1.5S \cdot \sin\beta$	$W_d \cdot \sin\beta + 0.7S \cdot \sin\beta$	$W_d \cdot \sin\beta - 0.7S \cdot \sin\beta$
	N	8533.53	216087.10	103998.05	103998.05
Minor axis load $Q_y = a'/N/L_{c2}$	N/mm	0.06	1.40	0.67	0.67
Minor axis bending moment $M_y = Q_y \cdot L_{a1}^2 / 10$	N*mm	15997.61	405093.23	194962.62	194962.62
Axial stress $\sigma_z = F/A$	MPa	0.00	0.00	0.00	0.00
Major axial stress $\sigma_z = M_z/W$	MPa	4.31	109.24	63.99	34.02
Minor axial stress $\sigma_y = M_y/W$	MPa	3.19	80.81	38.89	38.89
Resultant stress $\sigma = \sigma_z + \sigma_y$	MPa	7.51	190.05	102.89	72.91
Rated strength value	MPa	205.00	205.00	205.00	205.00
Axial stress + bending stress ratio		0.04	0.93	0.50	0.36
Strength judgment (<1)		OK	OK	OK	OK
Major axial deflection δ_z $= 0.521 \cdot Q_z \cdot L_{a1}^4 /$	mm	0.19	4.75	2.78	1.48
Minor axial deflection δ_y $= 0.521 \cdot Q_y \cdot L_{a1}^4 /$	mm	0.23	5.79	2.79	2.79
Joint deflection δ_y	mm	0.30	7.49	3.94	3.16
Judgment(L/200)	mm	0.0017	0.00441	0.00232	0.00186
Deflection ratio		0.00500	0.00500	0.00500	0.00500
		0.03	0.88	0.46	0.37
Deflection judgment (<1)		OK	OK	OK	OK

Table.1--2

Load combination	Unit	Ultimate limit states($\theta=0^\circ$)	Ultimate limit states($\theta=180^\circ$)	Ultimate limit states($\theta=0^\circ$)	Ultimate limit states($\theta=180^\circ$)
		1.35G+1.5S+1.5*0.6W	1.35G+1.5S-1.5*0.6W	1.35G+1.5W+1.5*0.7S	1.35G-1.5W+1.5*0.7S
Axial force	N	0	0	0	0
Major axis uniform load a		$1.35*W_d*\cos\beta + 1.5*0.6W + 1.5*S*\cos\beta$	$1.35*W_d*\cos\beta - 1.5*0.6W + 1.5*S*\cos\beta$	$1.35*W_d*\cos\beta + 1.5*W + 1.5*0.7*S*\cos\beta$	$1.35*W_d*\cos\beta - 1.5*W + 1.5*0.7*S*\cos\beta$
	N	649550.50	502928.31	518175.05	273804.75
Major axis load $Q_z=a/N/L_{c2}$	N/mm	4.21	3.26	3.36	1.78
Major axis bending moment $M_z=Q_z*L_{a1}^2/10$	N*mm	1217696.51	942827.47	971410.16	513295.09
Minor axis uniform load a'		$1.35*W_d*\sin\beta + 1.5*S*\sin\beta$	$1.35*W_d*\sin\beta + 1.5*S*\sin\beta$	$1.35*W_d*\sin\beta + 1.5*0.7*S*\sin\beta$	$1.35*W_d*\sin\beta + 1.5*0.7*S*\sin\beta$
	N	216087.10	216087.10	154717.05	154717.05
Minor axis load $Q_y=a'/N/L_{c2}$	N/mm	1.40	1.40	1.00	1.00
Minor axis bending moment $M_y=Q_y*L_{a1}^2/10$	N*mm	405093.23	405093.23	290044.29	290044.29
Axial stress $\sigma_z=F/A$	MPa	0.00	0.00	0.00	0.00
Major axis stress $\sigma_z=M_z/W$	MPa	119.52	92.54	95.34	50.38
Minor axis stress $\sigma_y=M_y/W$	MPa	80.81	80.81	57.86	57.86
Resultant stress $\sigma=\sigma_z+\sigma_y$	MPa	200.33	173.35	153.21	108.24
Rated strength value	MPa	205.00	205.00	205.00	205.00
Axial stress + bending stress ratio		0.98	0.85	0.75	0.53
Strength judgment (<1)		OK	OK	OK	OK
Major axis deflection δ_z $=0.521*Q_z*L_{a1}^4/$	mm	5.20	4.02	4.14	2.19
Minor axis deflection δ_y $=0.521*Q_y*L_{a1}^4/$	mm	5.79	5.79	4.15	4.15
Joint deflection δ_y	mm	7.78	7.05	5.86	4.69
Judgment(L/200)	mm	0.00458	0.00415	0.00345	0.00276
Deflection ratio		0.00500	0.00500	0.00500	0.00500
		0.92	0.83	0.69	0.55
Deflection judgment (<1)		OK	OK	OK	OK

Table.1--3

Load combination	Unit	Ultimate limit states	Ultimate limit states($\theta=0^\circ$)	Ultimate limit states($\theta=180^\circ$)
		1.35G	G+1.5W	G-1.5W
Axial force	N	0	0	0
Major axis uniform load a		$1.35*W_d*\cos\beta$	$W_d*\cos\beta+1.5W$	$W_d*\cos\beta-1.5W$
	N	31651.68	124745.13	119625.17
Major axis load $Q_z=a/N/L_{c2}$	N/mm	0.21	0.81	0.78
Major axis bending moment $M_z=Q_z*L_{a1}^2/10$	N*mm	59336.64	233856.67	224258.40
Minor axis uniform load a'		$1.35W_d*\sin\beta$	$W_d*\sin\beta$	$W_d*\sin\beta$
	N	11520.27	8533.53	8533.53
Minor axis load $Q_y=a'/N/L_{c2}$	N/mm	0.07	0.06	0.06
Minor axis bending moment $M_y=Q_y*L_{a1}^2/10$	N*mm	21596.77	15997.61	15997.61
Axial stress $\sigma_z=F/A$	MPa	0.00	0.00	0.00
Major axis stress $\sigma_z=M_z/W$	MPa	5.82	22.95	22.01
Minor axis stress $\sigma_y=M_y/W$	MPa	4.31	3.19	3.19
Resultant stress $\sigma=\sigma_z+\sigma_y$	MPa	10.13	26.14	25.20
Rated strength value	MPa	205.00	205.00	205.00
Axial stress + bending stress ratio		0.05	0.13	0.12
Strength judgment (<1)		OK	OK	OK
Major axis deflection δ_z $=0.521*Q_z*L_{a1}^4/$	mm	0.25	1.00	0.96
Minor axis deflection δ_y $=0.521*Q_y*L_{a1}^4/$	mm	0.31	0.23	0.23
Joint deflection δ_y	mm	0.40	1.02	0.98
Judgment(L/200)	mm	0.00023	0.00060	0.00058
Deflection ratio		0.00500	0.00500	0.00500
		0.05	0.12	0.12
Deflection judgment (<1)		OK	OK	OK

4 .Bracket strength check

4.1Load Combinations for Check Calculation

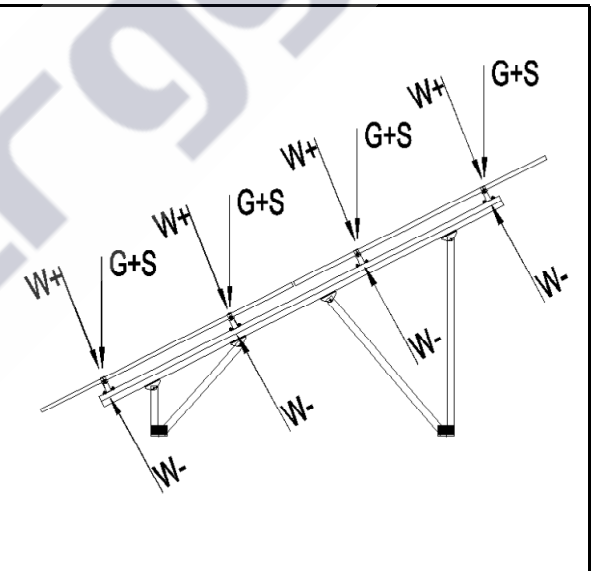
In summary, as described above for the check calculation of the guide rail,

the load combination that can be selected for the check calculation of the bracket is:

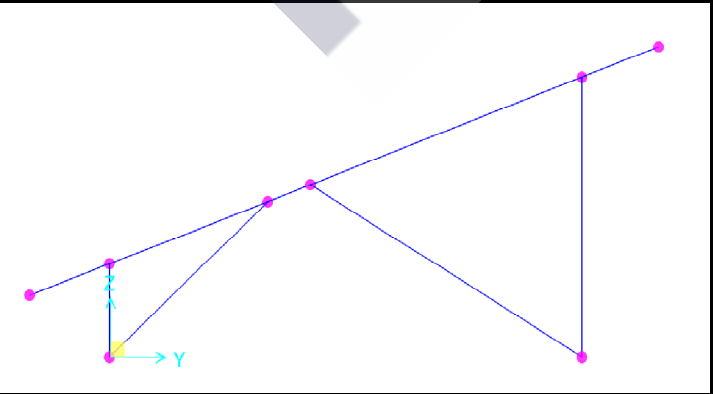
Ultimate limit states	COMB1	G	✗
	COMB2	1.35G	✗
	COMB3	1.35G+1.5S	✗
	COMB4.1	1.35G+1.5W+1.5*0.7S (θ=0°)	✗
	COMB4.2	1.35G-1.5W+1.5*0.7S (θ=180°)	✗
	COMB5.1	1.35G+1.5S+1.5*0.6W (θ=0°)	✓
	COMB5.2	1.35G+1.5S-1.5*0.6W (θ=180°)	✗
	COMB6.1	G-1.5W (θ=180°)	✗
	COMB6.2	G+1.5W (θ=0°)	✓
	COMB a	1.35G+1.5Qwa+1.5*0.6W (θ=0°)	✓
	COMB b	1.35G-1.5Qwa-1.5*0.6W (θ=180°)	✓
Serviceability limit states	COMB7.1	G+W+0.7S (θ=0°)	✓
	COMB7.2	G-W+0.7S (θ=180°)	✗

4.2 load application method

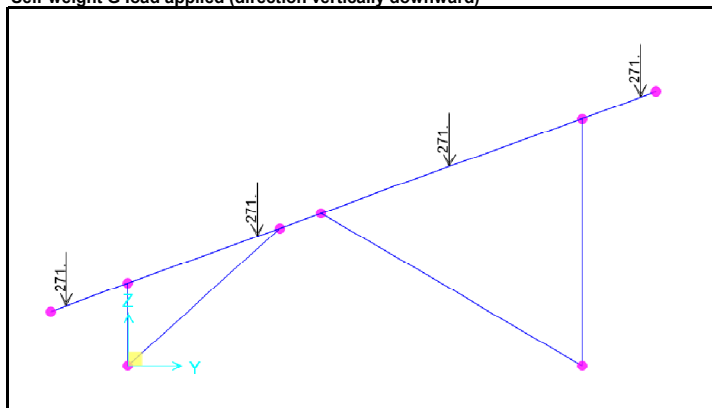
point	A	B	C	D
Gravity (N) (G)	271.20	271.20	271.20	271.20
following wind pressure load (N) (W+)	674.59	674.59	674.59	674.59
against wind pressure load (N) (W-)	1096.21	1096.21	1096.21	1096.21
against Snow pressure load (N) (S)	4334.16	4334.16	4334.16	4334.16
Hydraulic power Qwa+(N)	2173.82	2173.82	2173.82	2173.82
Hydraulic power Qwa-(N)	-2173.82	-2173.82	-2173.82	-2173.82



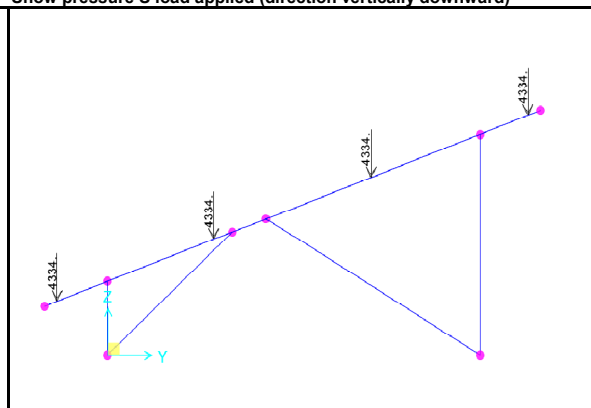
4.3SAP2000 2D bracket model



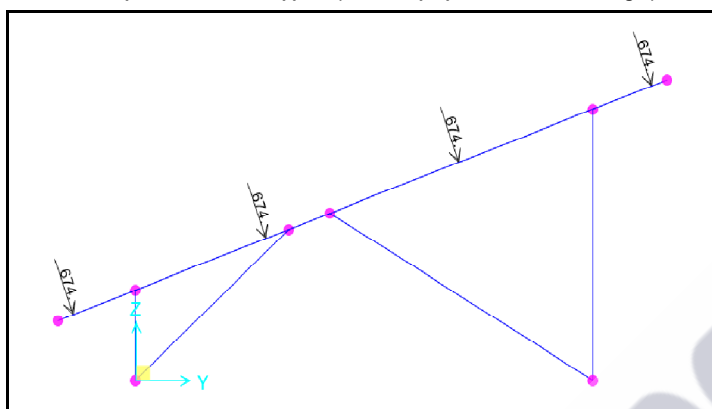
Self-weight G load applied (direction vertically downward)



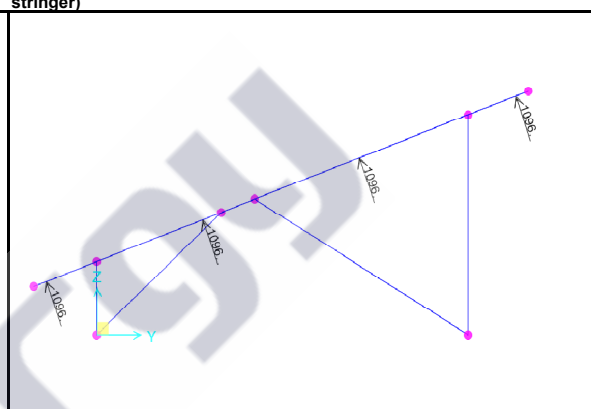
Snow pressure S load applied (direction vertically downward)



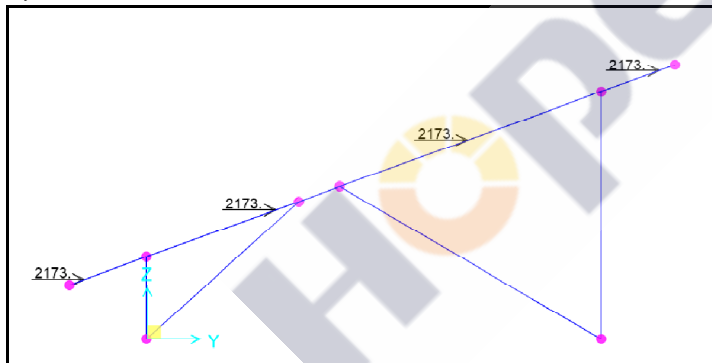
Positive wind pressure W+ load applied (direction perpendicular to the stringer)



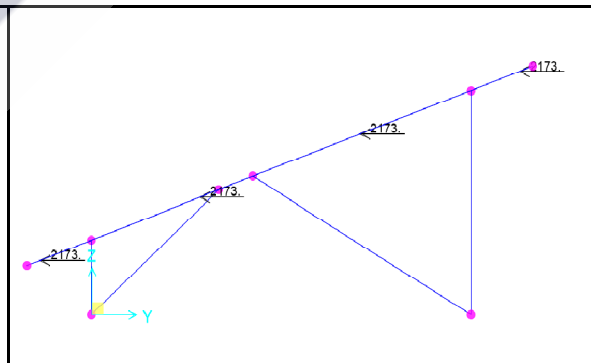
Upwind wind pressure W-load applied (direction perpendicular to the stringer)



Hydraulic action Qwa+



水力作用Qwa-



4.4 Structural section parameter information

Beam

	Sectional area	A=656mm ²	
	thickness	t=1.8mm	
	Moment of area	Sz=9942mm ³	Sy=5896mm ³
	Moment of inertia of section	Iz=732379mm ⁴	Iy=240780mm ⁴
	Section factor	Wz=15317mm ³	Wy=9630mm ³

Material properties and allowable stress

Elasticity modulus E= 70000N/mm²
Tensile strength f= 245N/m²
Yield Strength= 205N/m²
Shearing strength f 118.36N/m²

Front

	Sectional area	A=272mm ²	
	thickness	t=1.3mm	
	Moment of area	Sz=2164mm ³	Sy=1992mm ³
	Moment of inertia of section	Iz=91958mm ⁴	Iy=66088mm ⁴
	Section factor	Wz=3344mm ³	Wy=3304mm ³

Material properties and allowable stress

Elasticity modulus E= 70000N/mm²
Tensile strength f= 245N/m²
Yield Strength= 205N/m²
Shearing strength f 118.36N/m²

Rear

	Sectional area	A=272mm ²	
	thickness	t=1.3mm	
	Moment of area	Sz=2164mm ³	Sy=1992mm ³
	Moment of inertia of section	Iz=91958mm ⁴	Iy=66088mm ⁴
	Section factor	Wz=3344mm ³	Wy=3304mm ³

Material properties and allowable stress

Elasticity modulus E= 70000N/mm²
Tensile strength f= 245N/m²
Yield Strength= 205N/m²
Shearing strength f 118.36N/m²

Diagonal brace

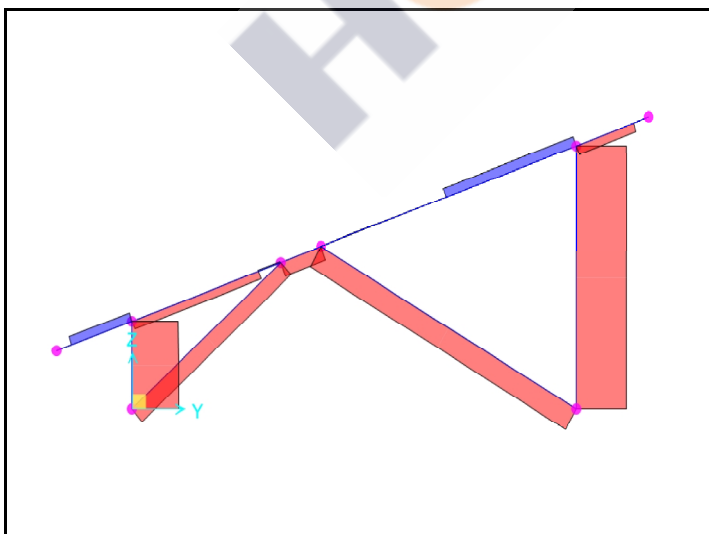
	Sectional area	A=272mm ²	
	thickness	t=1.3mm	
	Moment of area	Sz=2164mm ³	Sy=1992mm ³
	Moment of inertia of section	Iz=91958mm ⁴	Iy=66088mm ⁴
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Material properties and allowable stress

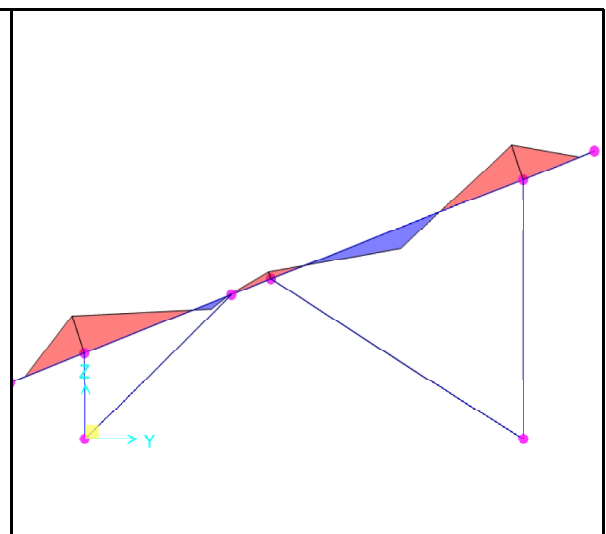
Elasticity modulus E= 70000N/mm²
Tensile strength f= 245N/m²
Yield Strength= 205N/m²
Shearing strength f 118.36N/m²

4.5 Example of longitudinal beam SAP2000 checking result diagram

Axis diagram



Bending moment diagram



4.6 Component SAP2000 Analysis Result Data Statistics

Beam	maximum bending moment (N/mm)	Maximum axial force(N)	maximum shear force(N)	Maximum deflection	Front	maximum bending moment (N/mm)	Maximum axial force(N)	maximum shear force(N)	Maximum deflection
COMB5.1	2739660.00	3611.00	7075.00	10.71	COMB5.1	41113.00	11662.00	/	/
COMB6.2	494383.00	669.00	1281.00	1.84	COMB6.2	8205.00	2169.00	/	/
COMB7.1	1468596.00	1826.00	3795.00	5.70	COMB7.1	16068.00	6279.00	/	/

Rear	maximum bending moment (N/mm)	Maximum axial force(N)	maximum shear force(N)	Maximum deflection	Diagonal brace 1	maximum bending moment (N/mm)	Maximum axial force(N)	maximum shear force(N)	Maximum deflection
COMB5.1	1870.00	12625.00	/	/	COMB5.1	/	4606.00	/	/
COMB6.2	1678.00	2292.00	/	/	COMB6.2	/	174.00	/	/
COMB7.1	229.00	6798.00	/	/	COMB7.1	/	2089.00	/	/

Diagonal brace2	maximum bending moment (N/mm)	Maximum axial force(N)	maximum shear force(N)	Maximum deflection
COMB5.1	/	5017.00	/	/
COMB6.2	/	1435.00	/	/
COMB7.1	/	2902.00	/	/

4.7 Component Strength Check

Strength Check Reference Formula

a) Axial stress calculation

$$\sigma = \frac{N}{A}$$

In the formula:

σ_A : stress transmitted from axial force, MPa;

A: Sectional area, mm²;

N: axial force, N.

b) Bending moment stress calculation

$$\sigma = \frac{M_x}{W_x}$$

In the formula:

σ_w : Stress transmitted from bending moment, MPa;

Mx: bending moment, N*mm;

Wx: elastic section modulus, mm³.

c) Shear stress calculation

$$\tau = \frac{V * S}{I * T}$$

In the formula:

τ : shear stress, MPa;

V: shear force, N;

S: cross-sectional area moment, mm³;

I: Sectional moment of inertia, m⁴;

T: thickness, mm;

Beam

project load combination	bending moment stress σ	Bending moment stress	axial stress σ_A	Shaft stress check	shear stress τ	Shear Stress Check	deflection check	Judgment ratio <1?
		($\sigma \leq 205 \text{ Mpa}$)		($\sigma_A \leq 205 \text{ Mpa}$)		($\tau \leq 79 \text{ Mpa}$)	($S \leq 1/250$)	
COMB5.1	178.86	OK	5.50	OK	53.35	OK	OK	OK
COMB6.2	32.28	OK	1.02	OK	9.66	OK	OK	OK
COMB7.1	95.88	OK	2.78	OK	28.62	OK	OK	OK

Front

project load combination	bending moment stress σ	Bending moment stress	axial stress σ_A	Shaft stress check	shear stress τ	Shear Stress Check	Judgment ratio <1?
		($\sigma \leq 205 \text{ Mpa}$)		($\sigma_A \leq 205 \text{ Mpa}$)		($\tau \leq 79 \text{ Mpa}$)	
COMB5.1	12.29	OK	42.81	OK	/	/	OK
COMB6.2	2.45	OK	7.96	OK	/	/	OK
COMB7.1	4.81	OK	23.05	OK	/	/	OK

Rear

project load combination	bending moment stress σ	Bending moment stress	axial stress σ_A	Shaft stress check	shear stress τ	Shear Stress Check	Judgment ratio <1?
		($\sigma \leq 205 \text{ Mpa}$)		($\sigma_A \leq 205 \text{ Mpa}$)		($\tau \leq 79 \text{ Mpa}$)	
COMB5.1	0.56	OK	46.35	OK	/	/	OK
COMB6.2	0.50	OK	8.41	OK	/	/	OK
COMB7.1	0.07	OK	24.96	OK	/	/	OK

Diagonal brace1

project load combination	bending moment stress σ	Bending moment stress	axial stress σ_A	Shaft stress check	shear stress τ	Shear Stress Check
		($\sigma \leq 205 \text{Mpa}$)		($\sigma_A \leq 205 \text{Mpa}$)		($\tau \leq 79 \text{Mpa}$)
COMB5.1	/	/	16.91	OK	/	/
COMB6.2	/	/	0.64	OK	/	/
COMB7.1	/	/	7.67	OK	/	/

Diagonal brace2

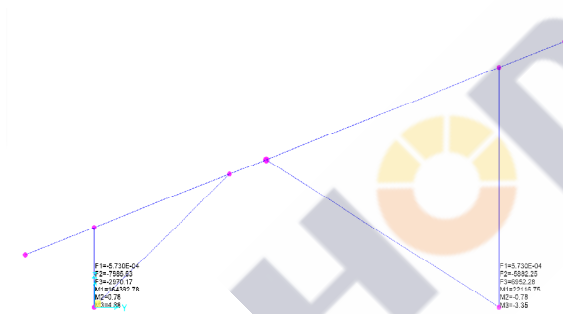
project load combination	bending moment stress σ	Bending moment stress	axial stress σ_A	Shaft stress check	shear stress τ	Shear Stress Check
		($\sigma \leq 205 \text{Mpa}$)		($\sigma_A \leq 205 \text{Mpa}$)		($\tau \leq 79 \text{Mpa}$)
COMB5.1	/	/	18.42	OK	/	/
COMB6.2	/	/	5.27	OK	/	/
COMB7.1	/	/	10.65	OK	/	/

4.8 Node reaction statistics

COMB a

Maximum down pressure Fv1= **6952.00N**

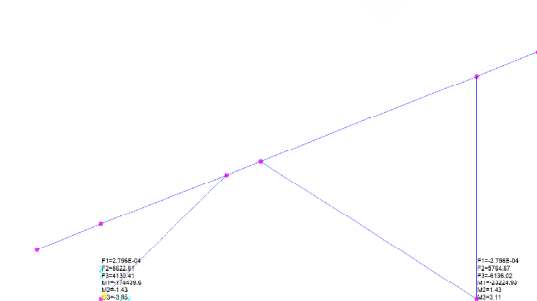
Maximum horizontal force FH1= **7985.00N**



COMB b

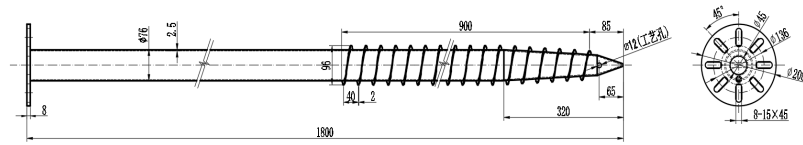
Maximum down pressure Fv1= **6136.00N**

Maximum horizontal force FH1= **8622.00N**



5. Calculation of screw piles

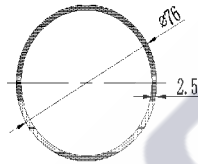
1) Basic information about screw piling



Specifications screw pile

GS-A10-1800-T2.75

Material: Q235 Surface strength $\sigma = 235$ MPa



Sectional area	A=633mm ²		
thickness	t=2.8mm		
thickness	Sz=7381 mm ³	Sy=7381 mm ³	
Moment of inertia of section	Iz=425037 mm ⁴	Iy=425037 mm ⁴	
Section factor	Wz=11185 mm ³	Wy=11185 mm ³	

2) design load

d) Design horizontal force (north-south direction): Fh1 = 8.622 [kN]

4) calculation of circumference and block cross section

The characteristics of a pile for support power are as follows.

- North-south span : Sy = 2.600 [m]
- Pile diameter used for north-south direction study : By = 0.076 [m]

5.1 examination of horizontal displacement

The standard ground reaction force coefficient K_{h0} is obtained as follows.

$$\begin{aligned} K_{h0} &= \alpha \cdot \xi \cdot E_0 \cdot B_0^{-3/4} \\ &= 80 \times 1.0 \times 4900 \times 7.6^{-3/4} \\ &= 85640 \text{ [kN/m}^3\text{]} \end{aligned}$$

α : The constant determined by the evaluation method: sandy soil $\alpha=80$, viscous soil $\alpha=60$ (1/ m)

(ground deformation coefficient estimated from the average N value of the target soil layer at $E_0 = 700 \cdot N$)

ξ : Coefficient considering the influence of pile $\xi = 1.0$

$$S_y / B_x = 2.600 / 0.076 = 34.211 > 6.0$$

E_0 : Soft deformation coefficient

$$= 700 \cdot N = 700 \times 7.0 = 4900 \text{ [kN/m}^2\text{]}$$

The range of ground that has a dominant influence on the horizontal resistance of the pile,

which is subjected to horizontal force on the pile head, is about $1/\beta$ from the ground surface.

In this case, the horizontal ground reaction force coefficient K_h is obtained as follows.

$$K_h = 85640 \times 1.1 = 98235.6 \text{ [kN/m}^3\text{]} \text{ (南北方向)}$$

The relative rigidity of the piles and the ground is determined by the formula.

$$\begin{aligned} \beta &= (K_h \cdot B / (4 \cdot E \cdot I))^{1/4} \\ &= (98236 \times 0.076 / (4 \times 2.1 \times 10^8 \times 4.6 \times 10^{-7}))^{1/4} \\ &= 2.110 \end{aligned}$$

Here E : Elastic coefficient of pile body $= 2 \times 10^5 \text{ [N/mm}^2\text{]} = 2.1 \times 10^8 \text{ [kN/m}^2\text{]}$

I_y : Cross section of the pile body used for the study of the strong axis secondary moment

$$= 459073 \text{ [mm}^4\text{]} = 4.6 \times 10^{-7} \text{ [m}^4\text{]}$$

$$\beta \cdot EL_0 = 2.110 \times 1.800 = 3.799$$

$\beta \cdot EL_0 \geq 2.25$ Therefore, consider it as semi-infinite length.

$$1/\beta = 1/2.110 = 0.474 \text{ [m]}$$

β : And then you get more calculations.

B_0 : Dimensional pile diameter $= 7.6$

The position of the maximum bending moment

$$\lambda m = \frac{1}{\beta} \cdot \tan^{-1} \left(\frac{1}{1 + 2 \cdot \beta \cdot h} \right)$$

$$= \frac{1}{2.110} \times \tan^{-1} \left(\frac{1}{1 + 2 \times 2.110 \times 0.20} \right) = 0.235 \quad [\text{m}]$$

Here, h : The protrusion of the stake = 0.200 [m]

The maximum bending moment

$$M_m = \frac{Fh}{2 \cdot \beta} \sqrt{\left(1 + 2 \cdot \beta \cdot h \right)^2 + 1}$$

$$\exp \left(- \tan^{-1} \left(\frac{1}{1 + 2 \cdot \beta \cdot h} \right) \right)$$

$$= 2.347 \quad [\text{kN} \cdot \text{m}] = 2346636 \quad [\text{N} \cdot \text{mm}]$$

The test of bending stress is shown below.

$$\sigma_b = M_m / Z = 2346636 / 10270 = 228.489 \quad [\text{N/mm}^2]$$

$$\sigma_c = F_v / A_p = 6136 / 633 = 9.70 \quad [\text{N/mm}^2]$$

$$\sigma_b / f_{bx} + \sigma_c / f_t = 0.97 + 0.03 = 1 \quad \text{Results of discussion: OK}$$

$$\leq \sigma_a = 235$$

Here, Z : Cross-section coefficient = 10270 [mm³]

The surface displacement y_0 is calculated as below.

$$y_0 = \left(1 + \beta \cdot h \right) \cdot Fh / \left(2 \cdot E \cdot I \cdot \beta^3 \right)$$

$$= \left(1 + 2.110 \times 0.200 \right) \times 8.622 / \left(2 \times 2.1 \times 10^8 \right.$$

$$\times 4.6 \times 10^{-7} \times 2.110^3 \left. \right) = 0.0069 \quad [\text{m}]$$

$$= 6.931 \quad [\text{mm}]$$

Here, h : The protrusion of the stake = 0.200 [m]

Fh : Horizontal force to be loaded onto a pile

As mentioned above, because the horizontal displacement y_0 of the pile does not exceed the allowable horizontal displacement y_a calculated as

It can be evaluated that the support ground does not exceed the elastic range.

$$y_0 < y_a = 15.000 \quad [\text{mm}] \quad \text{Results of discussion: OK}$$

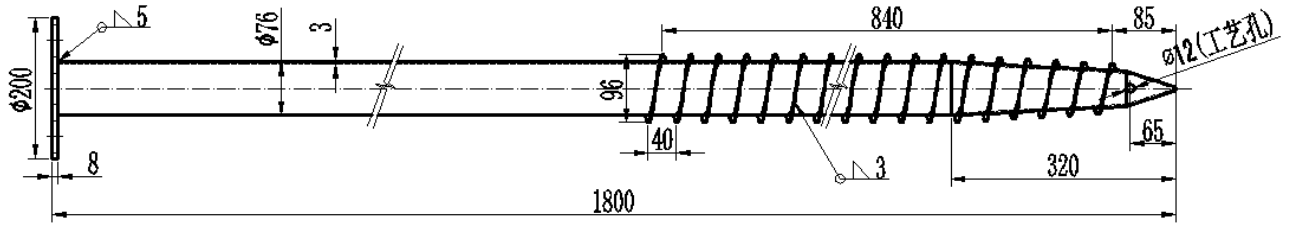


GS-76-1800A00

**Fixed small blade ground screw
Structural Strength Calculation Report**

Editor:
Time:
Check:
Version: V1.0

Ground screw structural strength calculation report



In this project, the soil is Soft clay, $\phi 76 \times 1800$ non-adjustable small blade ground screw (GS-76-1800A00) are selected, and the driving depth is 1.6m. Under this condition, the ultimate bearing capacity and maximum pull-out resistance of the screw pile are calculated below.

1. Ultimate bearing capacity:

When determining the standard value of the vertical ultimate bearing capacity of a single pile according to the empirical relationship between the physical index of the soil and the bearing capacity parameters, it should be estimated as follows:

$$Q_{UK} = u_i \sum_{i=1}^n q_{sik} l_i + u_j \sum_{j=1}^m q_{lwsjk} l_j + q_{pk} A_p$$

Where:

q_{sik} ——The standard value of the ultimate lateral resistance of the i -th layer of soil on the pile side, if there is no local experience, it can be taken according to the attached table 1;

q_{pk} ——The standard value of the limit end resistance, if there is no local experience, can be taken according to the attached table 2;

q_{lwsjk} ——is the standard value of the equivalent limit side resistance of the i -th layer that the screw pile passes through, $q_{lwsjk} = \beta \cdot q_{sik}$ ($\beta = 1.3 \sim 2.0$);

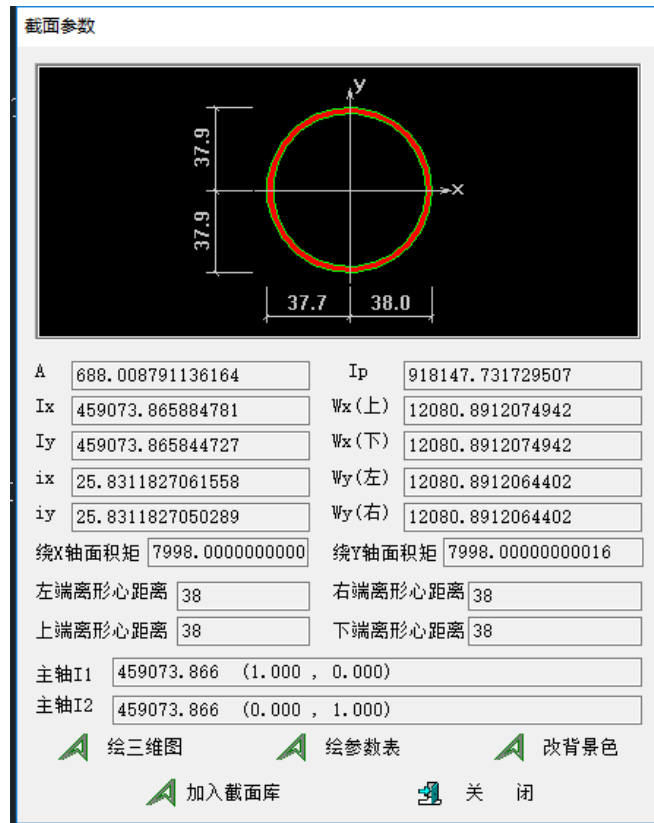
l_i ——The thickness of the pile body of the straight rod section on the i -th layer of rock and soil; l_j —— the thickness of the threaded section of the pile body on the i -th layer of rock and soil;

u_i ——The circumference of the pile body of the straight rod section; the circumference of the pile body of the u_j threaded section;

A_p ——Pile end cross-sectional area (according to the screw pile section parameter table).

In this project, the diameter of the straight rod section of the ground screw is $\phi 76$, and $u_i=239\text{mm}$; the diameter of the thread section is $\phi 96$, and $u_j=301\text{mm}$; according chart 1, $q_{sik}=32\sim 74\text{kpa}$, equal 50kpa ; $q_{lwsjk}=1.5$; Check attached table 2 to get $q_{pk}=850\sim 1700\text{kpa}$, take 120kpa ; straight rod section driving depth $l_i=1.6-0.84=0.76\text{m}$; thread length $l_j=0.84\text{m}$; pile end section area $A_P=688\text{mm}^2$.

Pile end section parameter table is as follows:



截面参数表

Substitute into the formula to get:

$$Q_{UK} = u_i \sum_{i=1}^n q_{sik} l_i + u_j \sum_{j=1}^m q_{lwsjk} l_j + q_{pk} A_P$$

$$= 0.239 \times 50000 \times 0.76 + 0.301 \times 1.6 \times 50000 \times 0.84 + 1200000 \times 0.000688$$

$$= 30134.8 \text{ N} = 30.134 \text{ KN}$$

2. Maximum pull-out resistance:

The pullout resistance of a single pile is determined by the empirical formula:

$$T_u = a \left(u_i \sum_{i=1}^n q_{sik} l_i + u_j \sum_{j=1}^m q_{lwsjk} l_j \right) + BG$$

Where:

T_u ——The ultimate bearing capacity of single pile uplift;

u_i ——The circumference of the pile body of the straight rod section; u_j ——the circumference of the pile body of the threaded section;

l_i ——The thickness of the pile body of the straight rod section on the i-th layer of rock and soil;

l_j —— the thickness of the threaded section of the pile body on the i-th layer of rock and soil;

q_{sik} ——The i-th layer soil pile side compressive limit pile side resistance;

q_{lwsik} ——is the standard value of the equivalent limit side resistance of the i-th layer that the screw pile passes through, $q_{lwsik} = \beta q_{sik}$ ($\beta = 1.3 \sim 2.0$);

G ——The self-weight of the pile body, the effective gravity is taken underwater;

a ——Uplift coefficient, sandy soil $X = 0.50 \sim 0.70$; cohesive soil, silt $A = 0.70 \sim 0.80$;

B ——Reduction coefficient, generally $0.8 \sim 1.0$;

Pile body weight $G = 10.25 \text{Kg} = 102.5 \text{N}$; $B = 0.8$, $a = 0.8$; other values are the same as before.

Substitute into the formula to find:

$$T_u = a \left(u_i \sum_{i=1}^n q_{sik} l_i + u_j \sum_{j=1}^m q_{lwsjk} l_j \right) + BG$$

$$= 0.8 * (0.239 * 50000 * 0.76 + 0.301 * 1.6 * 50000 * 0.84) + 0.8 * 119.1$$

=23542.64 N = 23.542 KN